

The Evolutionary Ecology of Technology: The Case of Programming Languages

Silvia Crafa

**...numerical
computing**

Universita' di Padova



The programming languages timeline

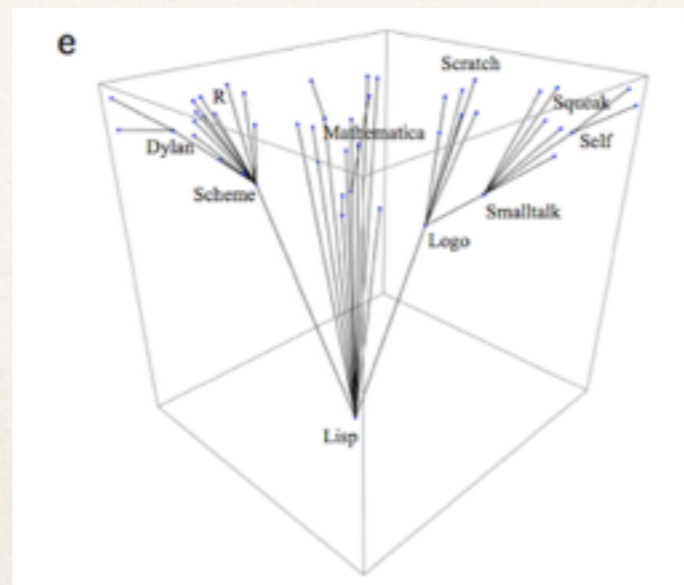
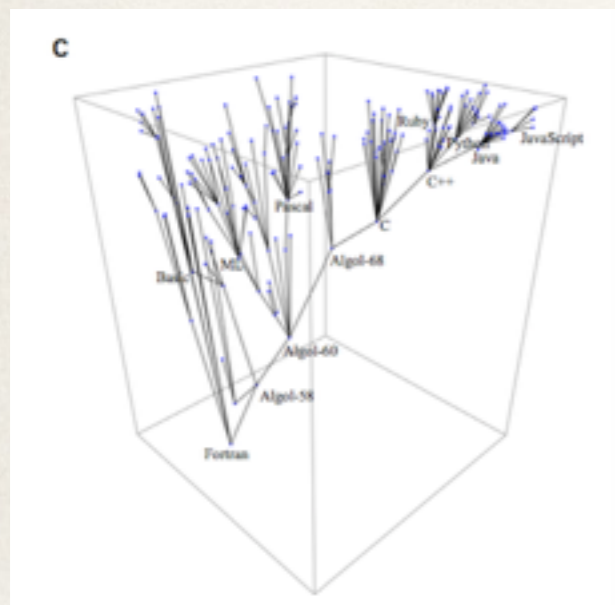
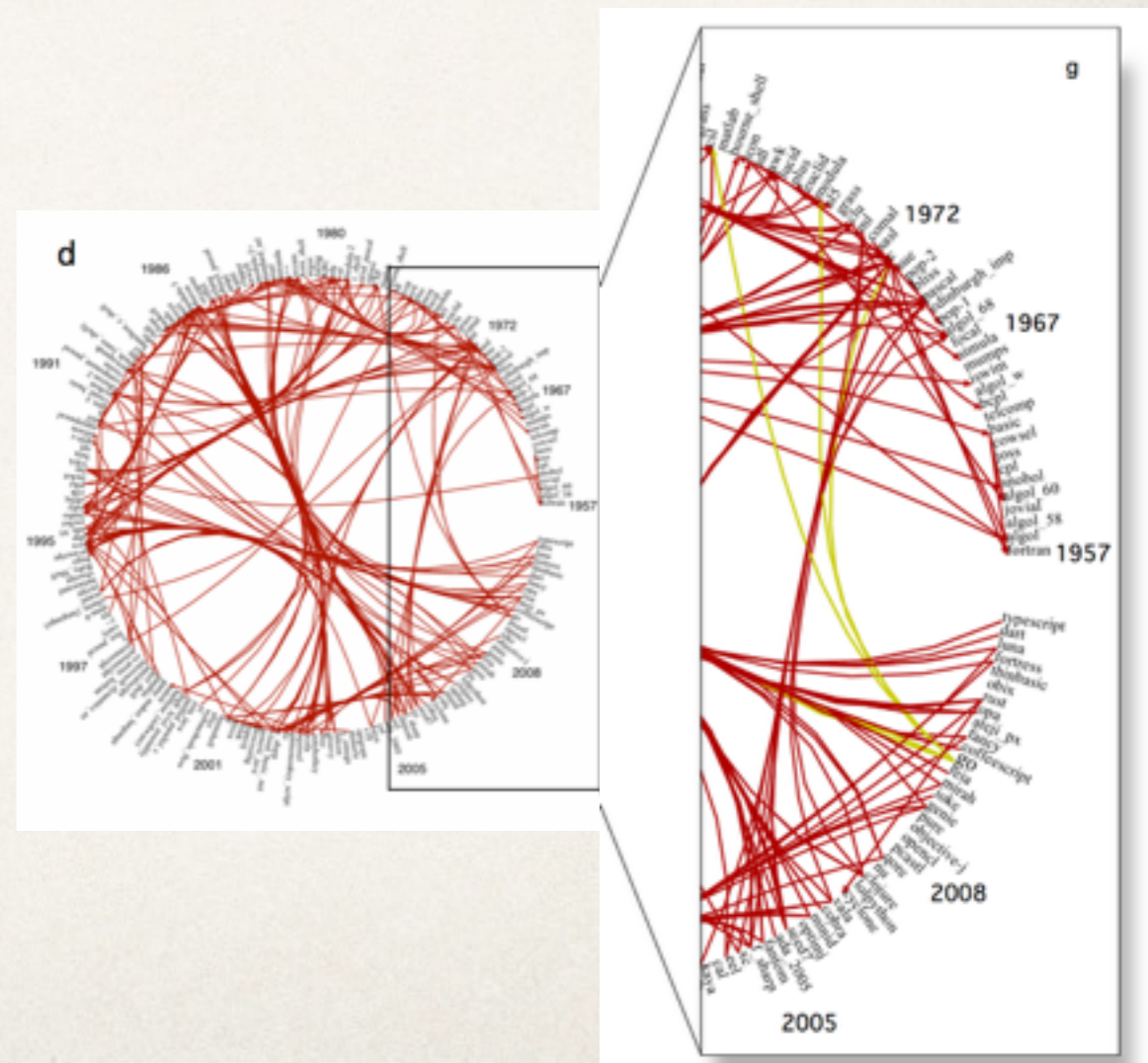
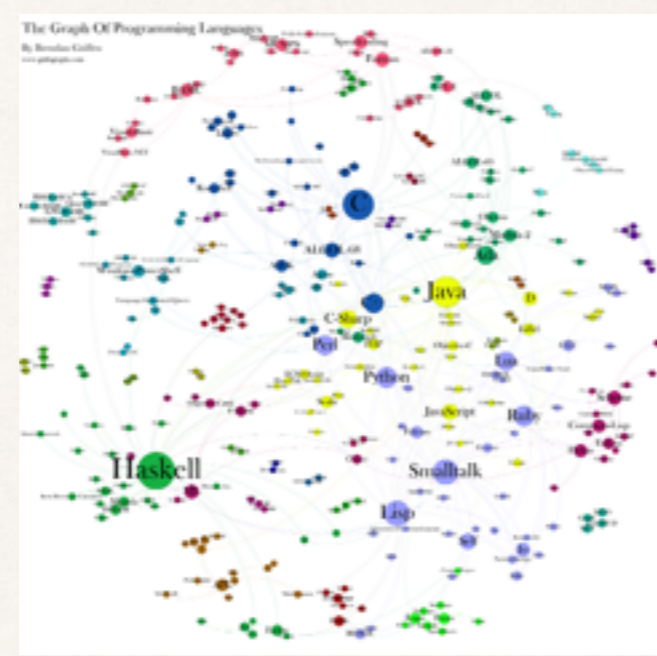
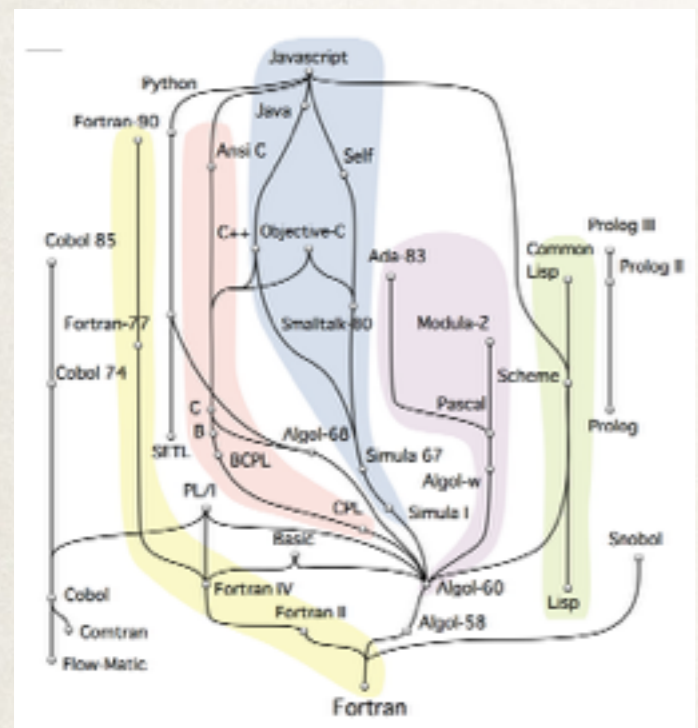
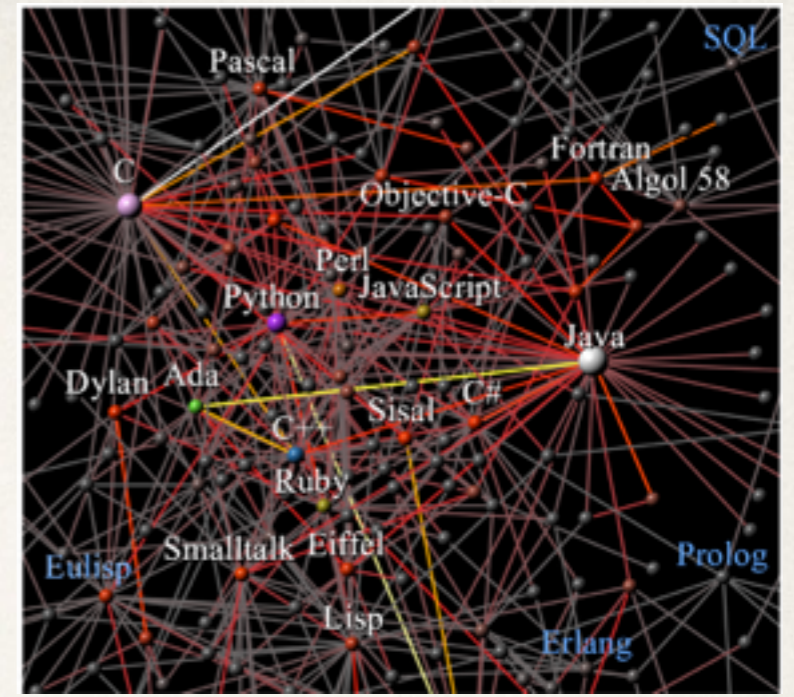
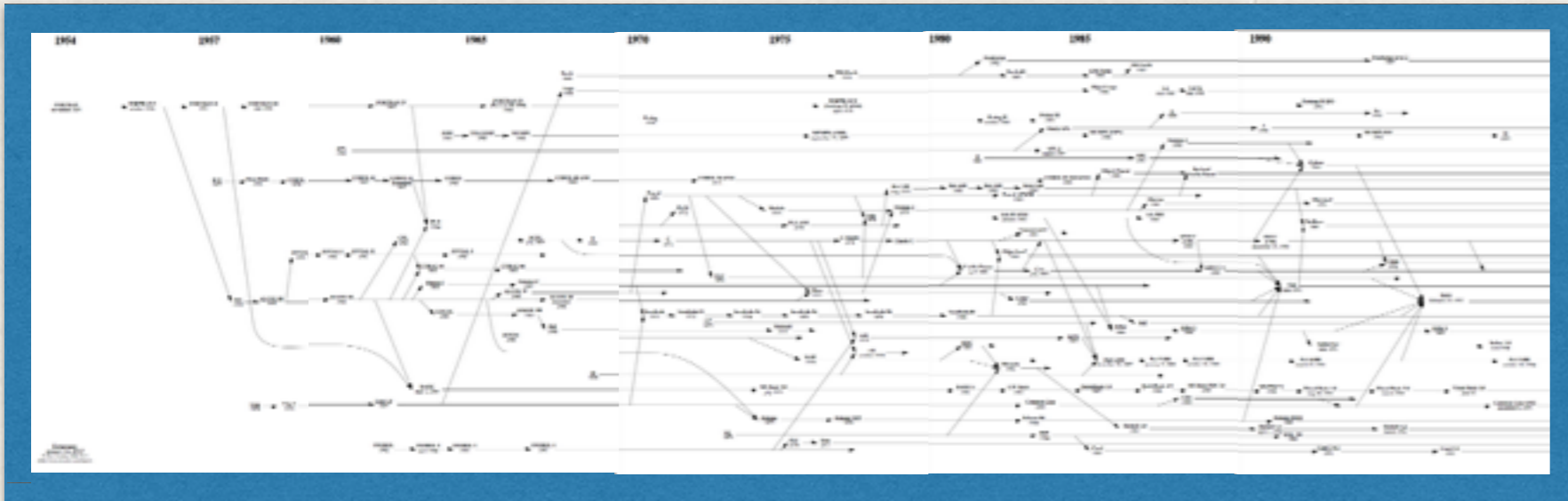
try to grasp the **evolutionary process** that
guided / unfolded behind
the fortune of mainstream PLs

the quest for “good”
programming abstractions



Time

- ❖ **When** a language has been **invented** VS when became **popular**?
- ❖ **Why** has been invented VS why became popular?



Human language as a culturally transmitted replicator

Mark Pagel

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Punctuated equilibrium in the large scale evolution of programming languages

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The evolutionary ecology of technological innovations

Ricard V. Solé*,^{1,2,3} Sergi Valverde,^{1,2} Marti Rosas Casals,^{4,1} Stuart Kauffman,³ Doyne Farmer,³ and Niles Eldredge⁵

Complexity 2013



A phylogenetic approach to cultural evolution

Ruth Mace and Clare J. Holden

Department of Anthropology, University College London, Gower Street, London, UK, WC1E 6BT

TRENDS in Ecology and Evolution
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Motivations

Is it possible to formulate a theory of technological evolution?

Technological change displays numerous life-like features, suggesting a deep connection with biological evolution. But some differences are also noticeable.

- **descent with variation**
 - **selection**
 - **convergence**
 - **extinction**
 - **rapid change and diversification**
 - **punctuated pattern**
 - **coevolution**
 - **macro-evolutionary trends**
 - **niche construction**
 - **exaptation**
 - ...
- tech innovations are examples of **planned design**: long-term goals, efficiency,
 - together with a **clear notion of progress** (*measures*)
 - **“The Lazarus effect”**
 - ...

Motivations

Is it possible to formulate a theory of technological evolution?

Technological change displays numerous life-like features, suggesting a deep connection with biological evolution. But some differences are also noticeable.

tinkering

a widespread **reuse** and **combination** of available elements to build new structures

- **Technology is highly dependent on the combination of preexisting inventions.** Adding new simple elements can completely reset the path of future technologies
- In biology, once established, solutions to problems are seldom replaced.

Motivations

- consider the role played by **social and economic factors**:
 - issues of *compatibility*, but also *market dominance* or *trends*, often make it impossible for better solutions to enter, so that the dominant technology is **stuck to suboptimal solutions** (*JavaScript* and *Web Solutions*)
 - **coevolution of economy and technology**: novel technologies can deeply transform how economy is organised and how new economic regimes emerge (*Internet, Cloud, BigData, CS Education*)

Motivations

The **availability of data** is crucial:

for *information technology*
we have the **complete fossil record**

while in *biology* we have
rich data on the **history of phyla**

- The **phylogeny of technology** is **not hierarchical**, but rather is more similar to that of bacteria
reticulate networks, instead of trees, appear to be more appropriate when dealing with cultural dynamics. The reticulated nature is **largely due to the rapid and large information exchange**, and the introduction of different types of innovations.
- We need **to identify the scales** at which technological hierarchies operate.
In biology, such hierarchies can be described including different levels, from population dynamics to genotype-phenotypic maps. Information technology, with all its **richness and multiplicity of scales**, offers our best to achieve this goal.

Biological Evo

Language Evo

PL Evo

Discrete heritable units:

nucleotides, aminoacids, genes

words, phonemes, syntax

primitives, phrases, modules, *styles*

Mode of inheritance:

parent off-spring, rare clonal

parents, groups,
prestige bias (cultural traits)

teaching, companies,
backward compatibility,
prestige or trend bias

Mutation:

genetic alteration

new words, mistakes, sound
changes, innovation

specification update,
new version
e.g. Python 3.3.3, Python 3.4.0

Selection:

natural selection

social selection and trends

market, social selection,
trends (everything on web)
stuck to suboptimal solutions

Biological Evo

Language Evo

PL Evo



Hybridisation:

species mixes

language Creoles

??

Horizontal transfer:

horizontal gene tranfer

borrowing

??

Fossils:

fragmented fossil records

ancient texts

??

Extinction:

species (mass) extinction

language death

??

What is a Programming Language?



A formal **constructed** language:

formally defined
syntax

semantics explaining the meaning of language phrases

Needed by the parser!

The PL boundaries are precisely (and finitely) defined by the Language Specification

No hybrids!

a code mixing Java and C++ constructs will not compile...unless we define a new language, i.e. a new species

We know what a species is!

differently from biology and human languages

Programming Paradigms

- A **programming paradigm** is a fundamental **style** of computer programming, it characterises the structure of programs
imperative, functional, object-oriented, declarative, logic, ...
- PLs are designed to support **one** or **many** paradigms; they are usually **classified in terms of paradigms**

if a **PL** is a **species**, a **paradigm** is a group/family/**class**



new paradigms emerge (*speciation*),
compete (*selection*) and
often merge (*hybridise*)

**multilevel evolution
and multilevel selection**

Biological Evo

Language Evo

PL Evo



Hybridisation:

species mixes

language Creoles

no hybridisation
hybrid code does not run

Horizontal transfer:

horizontal gene transfer

borrowing

lateral influence
but no hybrid

Fossils:

fragmented fossil records

ancient texts

abandoned languages
deprecated features
PL for old hardware

Extinction:

species (mass) extinction

language death

language death
for high level PL "no" mass extinction
*Cobol survives, what about
Objective-C after Swift?*

Coevolution:

PLs co-evolve with hardware (e.g. multicores, GPUs, Cloud, IoT) and with programmers (PL theory)

Macro-Evolutionary Trend:

PLs increase their abstraction level.
focus on “***what to do***” rather than on “***how to do it***”

This is due to more efficient hardware, which supports stratifications of virtual machines, and enhanced theory

Niche Construction:

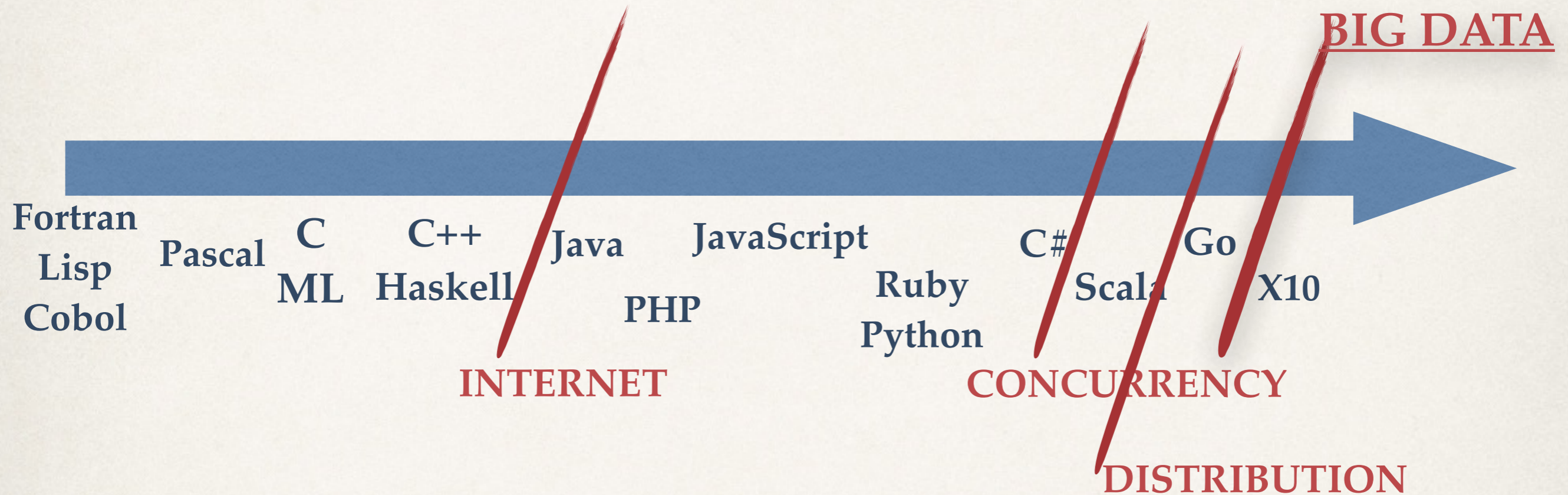
Web PL ecosystem

- page content: HTML5
- page appearance: CSS
- Client side: JavaScript
- Server side: Php, CGI
- data: XML

Exaptation:

after 50 years, functional abstractions appear to work well in concurrent programming

The programming languages timeline



Changes need a **catalyst**linearize evolutionary leaps!

- ❖ multicore —> concurrent programming
- ❖ cloud computing —> distributed programming
- ❖ big data applications —> High Performance Computing

The Quest for good Abstractions

Easy to think
Easy to reason about

Expressiveness
Performance



different
abstraction levels!



- ❖ **Big Data Application Framework**
 - ❖ Map - Reduce Model
 - ❖ Bulk Synchronous Parallel Model
- ❖ Message Passing Model
- ❖ Shared Memory
- ❖ GPU Concurrency Model



which abstractions
interoperate
productively?

Moving towards conclusions

- ❖ **Modern Mainstream Programming Languages:**
 - ❖ become more declarative / high-level, moving stuff into the runtime
 - ❖ productively mix paradigms
 - ❖ heterogeneous concurrency models (Distribution)
- ❖ **What is the right level of abstraction?**
 - ❖ What are good abstractions? Expressive, flexible, easy to reason about, easy to implement in a scalable / resilient way
- ❖ **What about theory?**

The role of PL theory

- ❖ Formal languages are **well suited to test** new abstractions and **new mix** of abstractions in a concise and expressive model. i.e. they allow for *experimentation in a controlled environment*.
 - ❖ Asynchrony, locality, scope extrusion, futures, mobility, security, timing, probability, ecc., have been studied both in isolation and in combination
- ❖ To develop **formal (and mechanisable) techniques to reason** about software systems
- ❖ When working in a formal framework it is easier to **distinguish the different abstraction levels involved**: study them separately and then integrating them

Conclusions

- ❖ cloud computing, reactive programming, BigData bring about **new shuffle of old issues and new problems**
(scalability, heterogeneity, fault tolerance, security, privacy, efficiency)
- ❖ this scenario will act **as the environment operating a selection** over the features of actual PLs.
- ❖ hence **“language mutations”** will appear to **adapt** to these new requirements, and to **co-evolve with hardware** evolution.

PLs struggle for life in the language arena.

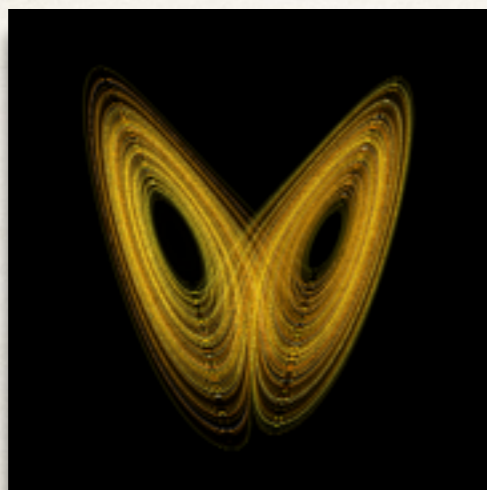
- ❖ Will only survive those equipped with **higher plasticity**, either in their design choices or in their marketing strategies?

*...what's Java8 if not a form of **adaptation**?*

About Numerical Computing

Consider a mathematical problem to be solved numerically

- The Lorenz system: a system of 3 ordinary differential equations nonlinear, three-dimensional and deterministic



notable for having chaotic solutions for certain parameter values
and initial conditions

simplified math model for atmospheric convection, also in models
for lasers, electric circuits, chemical reactions,...

About Numerical Computing

Maths

1. Specify the mathematical problem

CS

(Matlab,
Mathematica
DSL, Python,...)

2. Write a software capable of solving the numerical problem

3. Run the numerical software to find solution

CS

4. Plot results into a graphic

Maths

Specify the math problem...

Let $p = 10$, $r = 64$, $b = 8/3$. Let $y_1(t)$, $y_2(t)$ and $y_3(t)$ be the convection intensity, the maximum temperature difference and the stratification change respectively. The system equations are:

$$\begin{aligned} \dot{y}_1(t) &= p y_2(t) - p y_1(t) \\ \dot{y}_2(t) &= r y_1(t) - y_2(t) - y_1(t) y_3(t) \\ \dot{y}_3(t) &= y_1(t) y_2(t) - b y_3(t) \end{aligned}$$

The discretization in time is made with the `Implicit Euler}` method. Simulation duration is set being $t_0 = 0, T = 2$ with $dt = 0.005$ s. The system initial conditions are the following: $y_1(0) = 1, y_2(0) = 2$ and $y_3(0) = 3$. Results are shown in Figure

...in the Maths language

Specify ODE coefficients, ODEs, the time interval, the discretisation method in time, initial conditions

CS

Let $p = 10$, $r = 64$, $b = 8/3$. Let $y_1(t)$, $y_2(t)$ and $y_3(t)$ be the convection intensity, the maximum temperature difference and the stratification change respectively. The system equations are:

```
$$\dot{y}_1(t) = p y_2(t) - p y_1(t)$$  
$$\dot{y}_2(t) = r y_1(t) - y_2(t) - y_1(t) y_3(t)$$  
$$\dot{y}_3(t) = y_1(t) y_2(t) - b y_3(t)$$
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The system initial conditions are the following:
 $y_1(0)=1$, $y_2(0)=2$ and $y_3(0)=3$.

Results are shown in Figure

...in LaTeX!

IDEA:

translate it into another PL so
to use it as input of the
numerical solution software

Let $p = 10$, $r = 64$, $b = 8/3$. Let $y_1(t)$, $y_2(t)$ and $y_3(t)$ be the convection intensity, the maximum temperature difference and the stratification change respectively. The system equations are:

$$\begin{aligned} \dot{y}_1(t) &= p y_2(t) - p y_1(t) \\ \dot{y}_2(t) &= r y_1(t) - y_2(t) - y_1(t) y_3(t) \\ \dot{y}_3(t) &= y_1(t) y_2(t) - b y_3(t) \end{aligned}$$

problem specification

`\begin{computable_expression}`

Let $p = 10$, $r = 64$, $b = 8/3$. Let $y_1(t)$, $y_2(t)$ and $y_3(t)$ be the convection intensity, the maximum temperature difference and the stratification change respectively. The system equations are:

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The discretization in time is made with the `\setTimeDiscrMethod{Implicit Euler}`

Simulation duration is set being $t_0=0$, $T = 2$ with $dt = 0.005$ s.

The system initial conditions are the following:
 $y_1(0)=1$, $y_2(0)=2$ and $y_3(0)=3$.

Results are shown in Figure `\createFigure{y_1(t)}{y_2(t);y_3(t):'r--'}`.

`\end{computable_expression}`

CFL tool

- parse a LaTeX text
- recognize a math problem
- generate a Python script that computes the solution

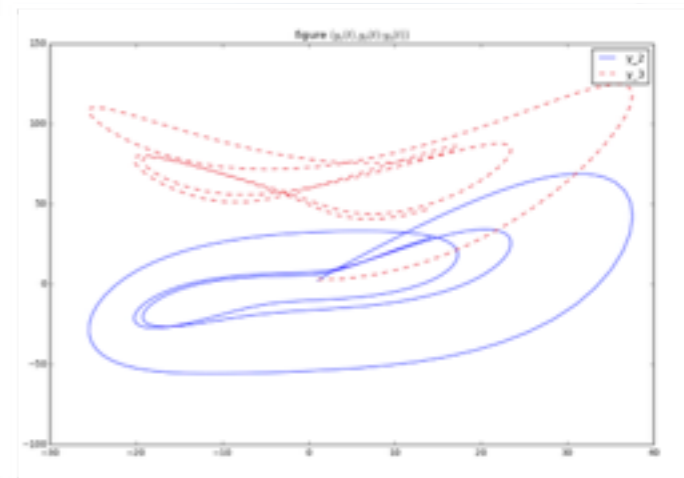
*executable
Python script*

```
# declaration of known variables:
p = 10
b = 8/3
r = 64
# defintion of the time domain of the problem:
T = 2
dt = 0.005
t_0 = 0
# initialization of the problem unknown variables:
y_1 = OdeSolution(Function('1'))
y_2 = OdeSolution(Function('2'))
y_3 = OdeSolution(Function('3'))
y_1_hist1 = [0 for i in np.arange(t_0,T,dt)]
y_2_hist1 = [0 for i in np.arange(t_0,T,dt)]
y_3_hist1 = [0 for i in np.arange(t_0,T,dt)]
# setting of initial conditions:
x = [float(ic) for ic in OdeSystem.current.initcond]
x_cfl_past = np.copy(x)
dtmin = dt
it = 0
# solution of the initial-value problem:
for t in np.arange(t_0,T,dtmin):
    1*tder(y_1) == p*y_2 - nnl_term(p*nonLinear(y_1))
    1*tder(y_2) == r*y_1 - 1*y_2 - nnl_term(nonLinear(y_1)*nonLinear(y_3))
```

```
1*tder(y_3) == y_1*y_2 - nnl_term(
pr = Problem.current[0]
pr.method.set_tDiscr('IEuler',time
x = pr.method.solve(t)
Problem.current = []
```

```
y_1_hist1[it] = x[0]
y_2_hist1[it] = x[1]
y_3_hist1[it] = x[2]
```

```
y_1 = OdeSolution(Function(str(x[0]
y_1.SetPastValue(x_cfl_past[0])
y_2 = OdeSolution(Function(str(x[1]
y_2.SetPastValue(x_cfl_past[1])
y_3 = OdeSolution(Function(str(x[2],
```



problem's resolution pattern

```
# print of the results:
import pylab as p
p.cdf()
pfig=p.figure(1); p.hold()
pfig.set_size_inches(12,8)
p.plot(y_1_hist1,y_2_hist1,label='y_2');
p.plot(y_1_hist1,y_3_hist1,'r--',label='y_3');
p.legend();
p.savefig('ce0test1mlfig1.png',bbox_inches=0,dpi=100);
```

Maths

Let $p = 10$, $r = 64$, $b = 8/3$. Let $y_1(t)$, $y_2(t)$ and $y_3(t)$ be the convection intensity, the maximum temperature difference and the stratification change respectively. The system equations are:

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The discretization in time is made with the Implicit Euler method. Simulation duration is set being $t_0 = 0, T = 2$ with $dt = 0.005s$. The system initial conditions are the following: $y_1(0) = 1, y_2(0) = 2$ and $y_3(0) = 3$. Results are shown in Figure

CFL: *computing from LaTeX*

a **numerical problem-solving environment** that converts the **specification** of a mathematical problem into an appropriate **resolution pattern** that can be directly executed

LaTeX

```
\begin{computable_expression}
Let $p = 10$, $r = 64$, $b = 8/3$. Let $y_1(t)$, $y_2(t)$ and $y_3(t)$
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```

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# solution of the initial-value problem:
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    1*tder(y_2) == r*y_1 - 1*y_2 - nnl_term(nonLinear(y_1)*nonLinear(y_3))

    1*tder(y_3) == y_1*y_2 - nnl_term(b*nonLinear(y_3))
    pr = Problem.current[0]
    pr.method.set_tDiscr('IEuler',timeInterval(0.0,dtmin),dtmin)
    x = pr.method.solve(t)
    Problem.current = []

    y_1_hist1[it] = x[0]
    y_2_hist1[it] = x[1]
    y_3_hist1[it] = x[2]

    x_cfl_past = np.copy(x)
    it += 1
#endfor
# print of the results:
import pylab as p
p.clf()
pfig=p.figure(1); p.hold(True)
pfig.set_size_inches(12,8)
p.plot(y_1_hist1,y_2_hist1)
p.plot(y_1_hist1,y_3_hist1)
p.legend();
p.savefig('ce0test1mfig1')
```

...different abstraction levels...

The **gap** between the math def and the computation of its solution is **covered by relying on high-level mathematical abstractions,**

which

can be expressed both in LaTeX and in Python, helping both in problem recognition and in the generation of the code for the resolution pattern

Maths

