

XNA@DSI

Giuseppe Maggiore
Microsoft Student Partner
University Ca' Foscari of Venice

 **xna** | Game Studio
European Tour 2007

Microsoft



Computer Graphics

= pretty pictures

of possibly moving, possibly interactive,
solid or fluid, artificial or living things for
people to see on displays



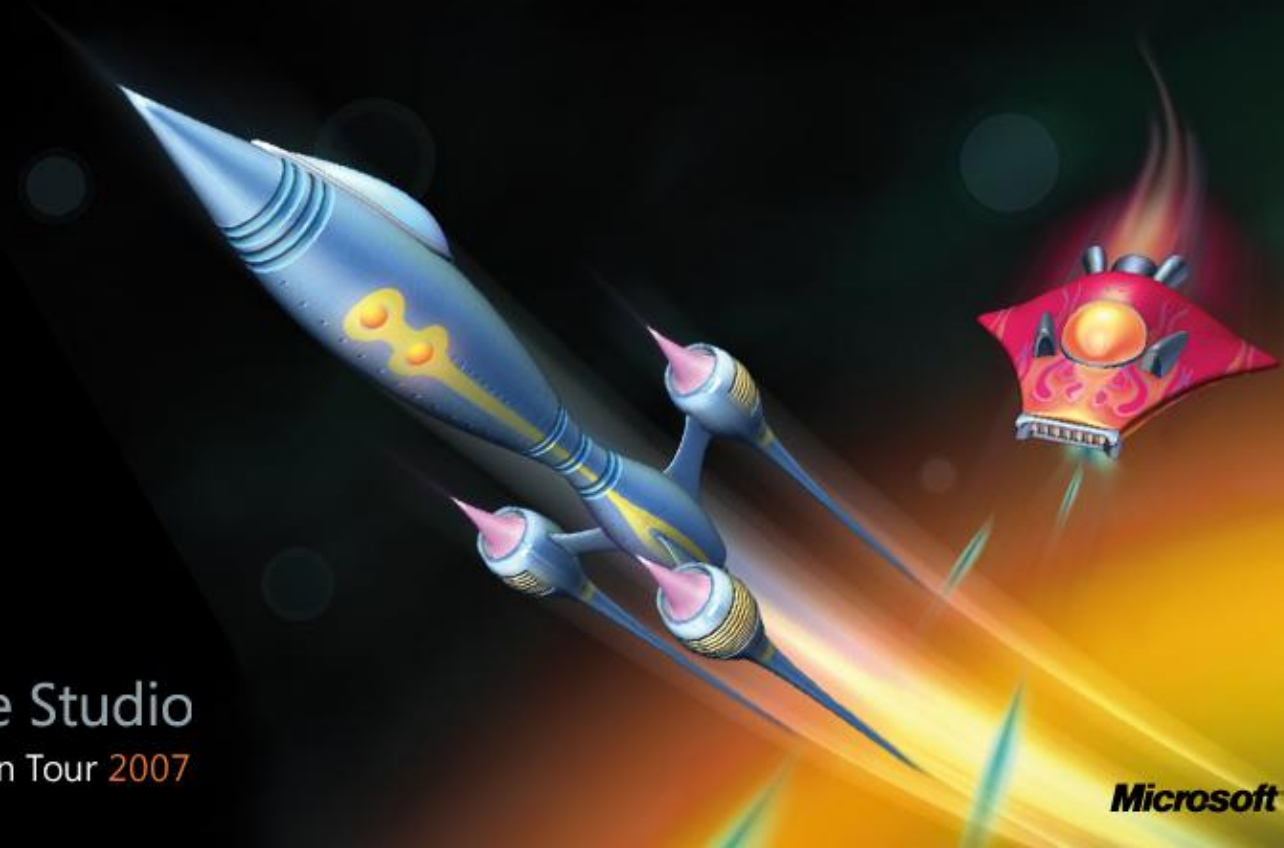
Who needs computer graphics?

- Computer-Aided Design/Manufacturing
- Medical Imaging
- Simulation
- Architecture
- Electronic publishing
- Computer Animation / Film Production
- Art
- Games
- ...

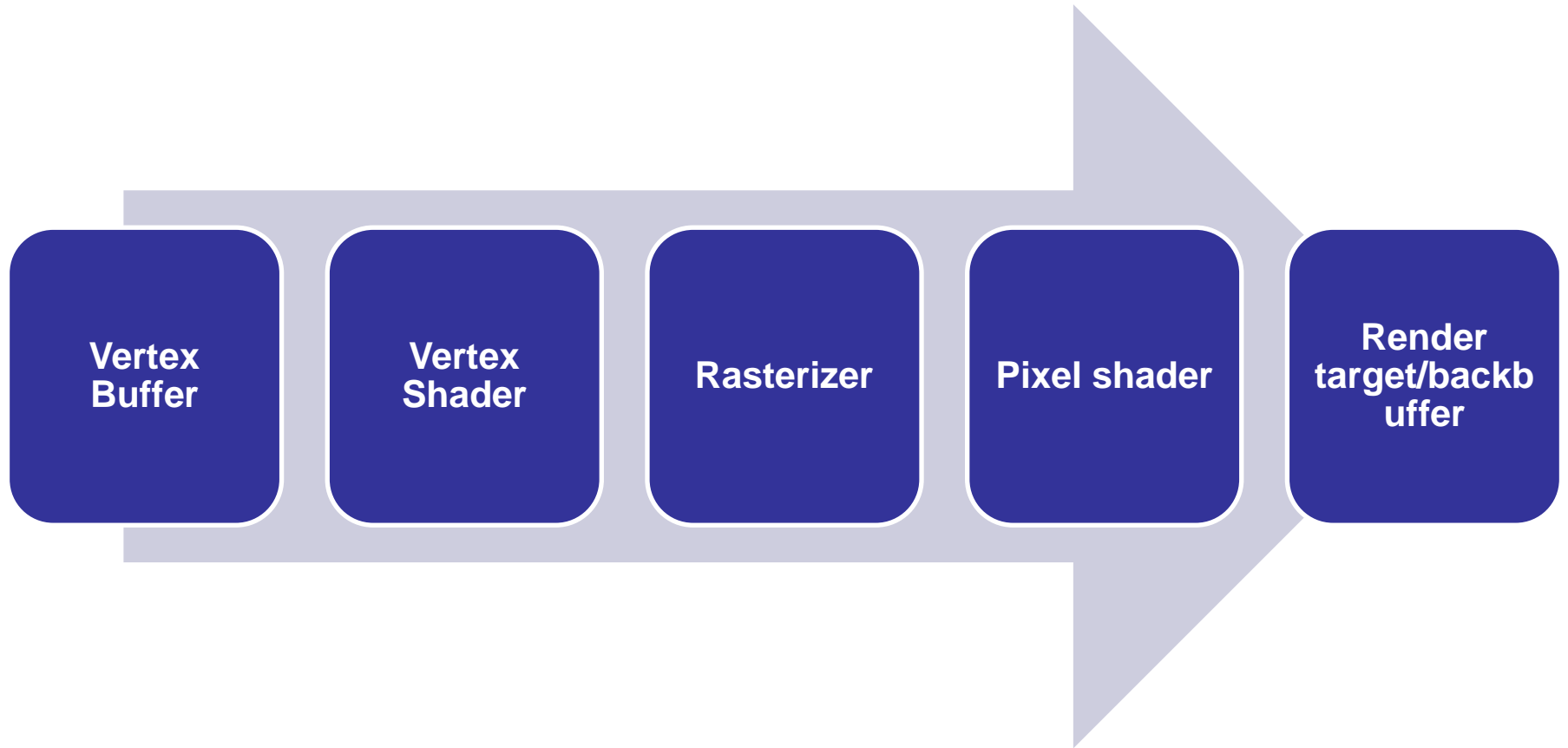


Chapter 0

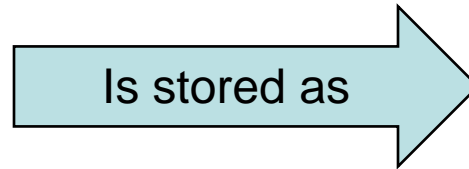
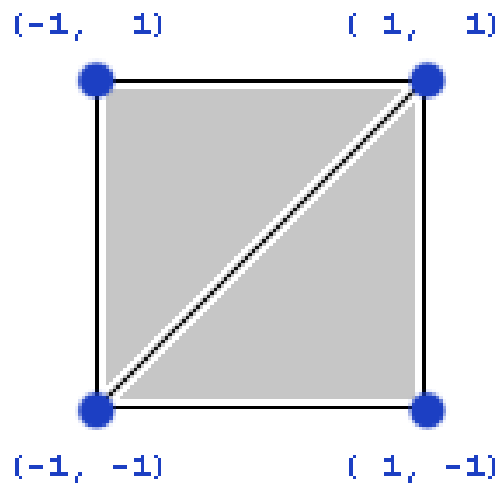
Graphics Pipeline



Graphics Pipeline



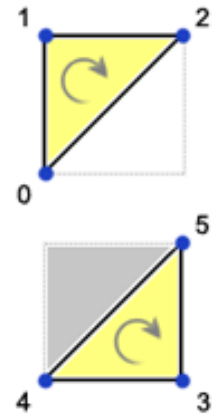
Vertex Buffers



Vertex Buffer

VB Index :

0	$(-1, -1)$
1	$(-1, 1)$
2	$(1, 1)$
3	$(1, -1)$
4	$(-1, -1)$
5	$(1, 1)$



Vertex Shader

Vertex Buffer
$(-1, -1, 0)$
$(-1, +1, 0)$
$(+1, +1, 0)$
$(+1, -1, 0)$
$(-1, -1, 0)$
$(+1, +1, 0)$



Screen-space vertices
$(+300, +400)$
$(+300, +600)$
$(+400, +600)$
$(+300, +400)$
$(+300, +400)$
$(+400, +600)$



Rasterizer

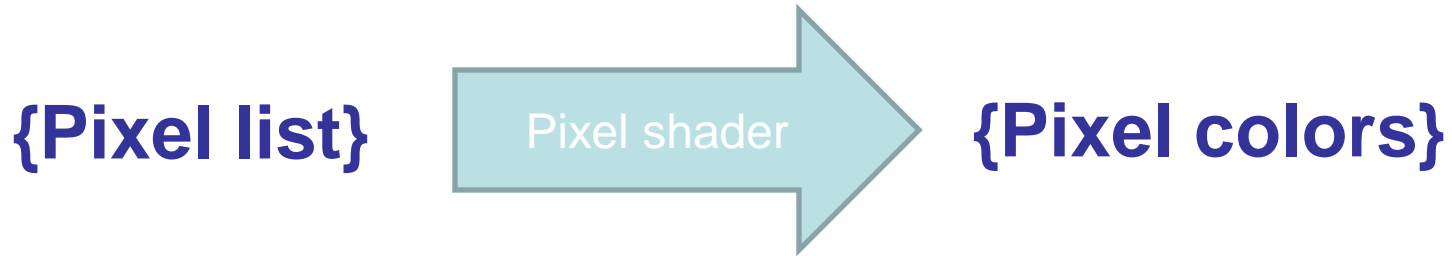
Screen-space vertices
(+300,+400)
(+300,+600)
(+400,+600)
(+300,+400)
(+300,+400)
(+400,+600)

Rasterizer

{Pixel list}



Pixel shader



Chapter 1

Geometry



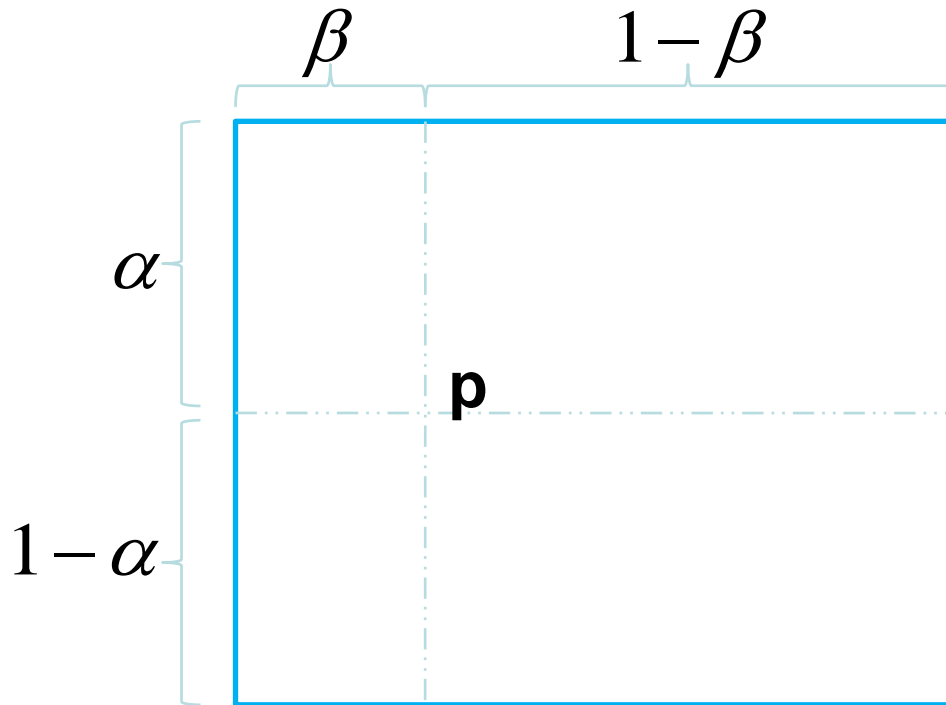
Geometry

- For now we will work only with vertices and triangles
- No pixel colors, no rasterizer
- Just the outline of our polygons!



Vertex buffer creation

- We will procedurally generate shapes from a quad discretely sampled at some points:



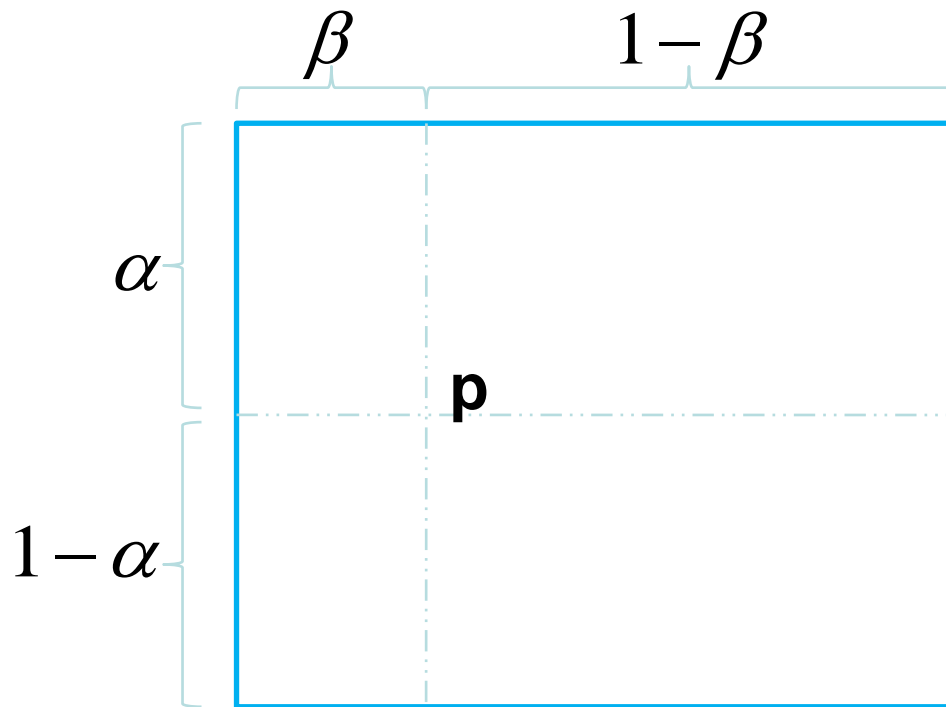
$$p \leftarrow (\beta, \alpha, 0)$$

Demo!



Vertex buffer creation

- A more 3d-ish shape is a cylinder:



$$\mathbf{p} \leftarrow (x, y, z)$$

$$\begin{cases} x = \cos(2\pi\beta) \\ y = \alpha \\ z = \sin(2\pi\beta) \end{cases}$$

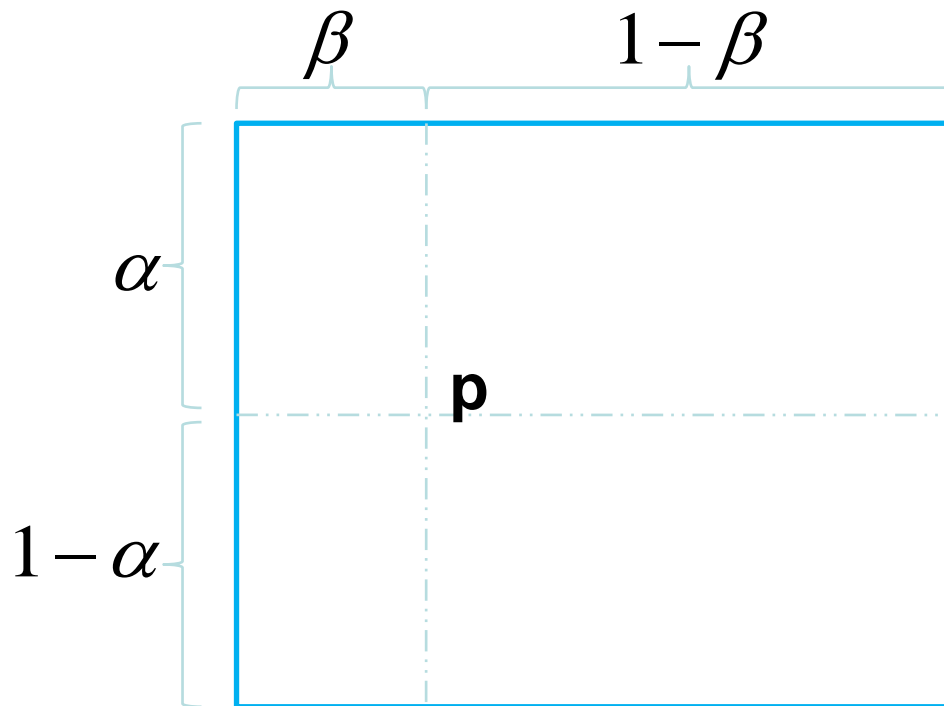


Demo!



Vertex buffer creation

- Finally, a sphere:



$$\begin{cases} p \leftarrow (x, y, z) \\ r_0 = \sin(\pi\alpha) \\ x = r_0 \cos(2\pi\beta) \\ y = \cos(\pi\beta) \\ z = r_0 \sin(2\pi\beta) \end{cases}$$

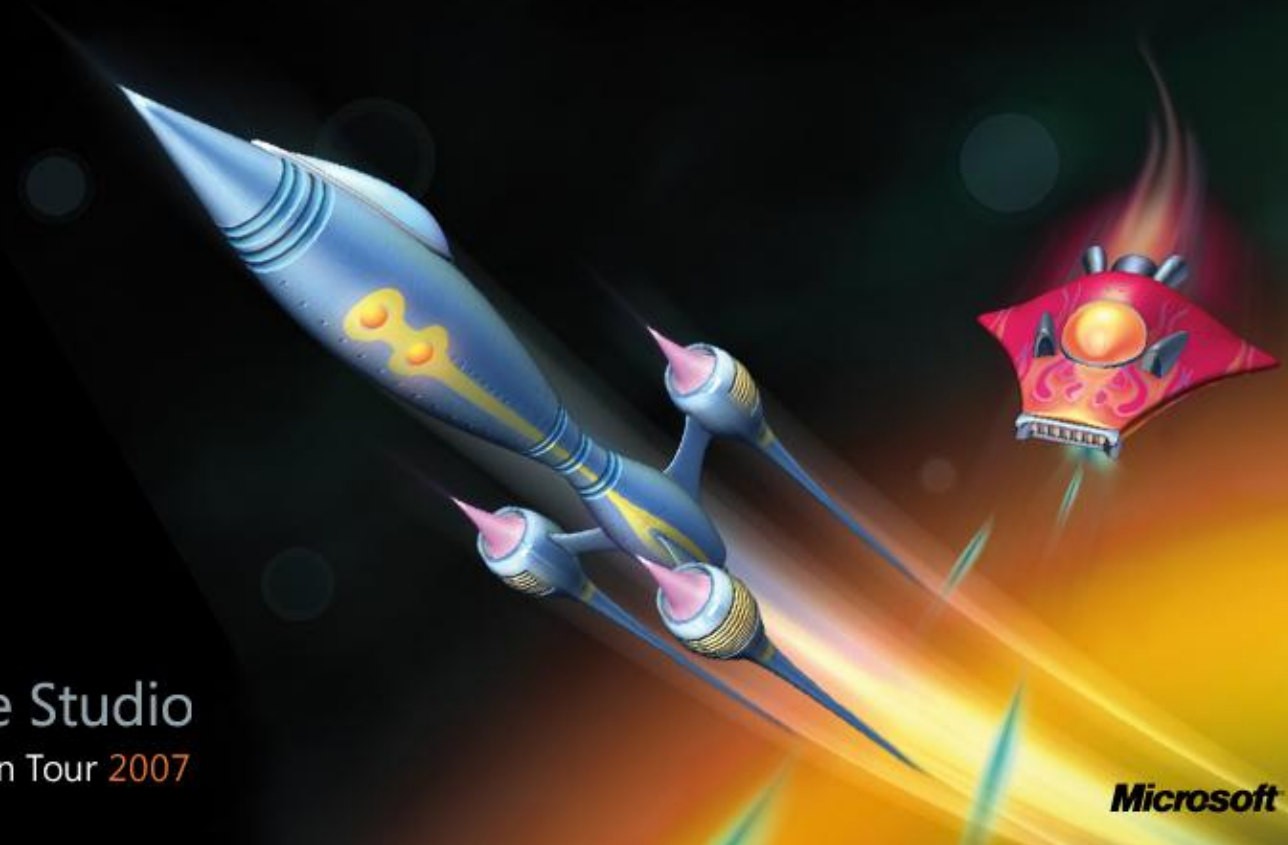


Demo!



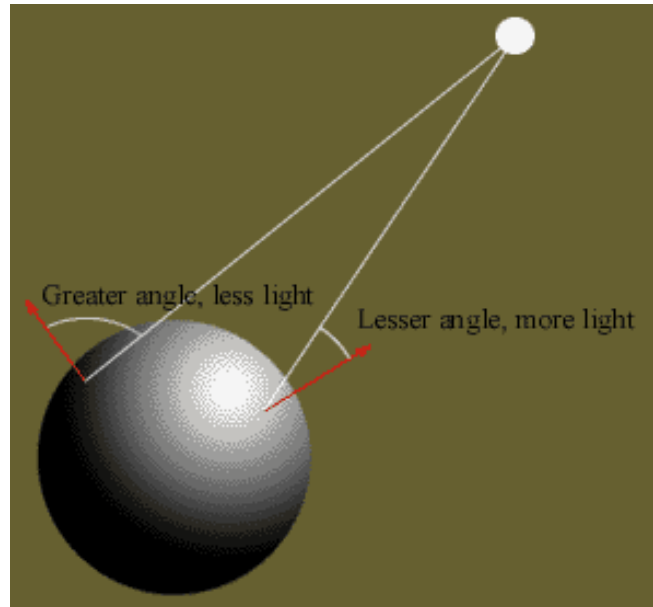
Chapter 2

Lighting



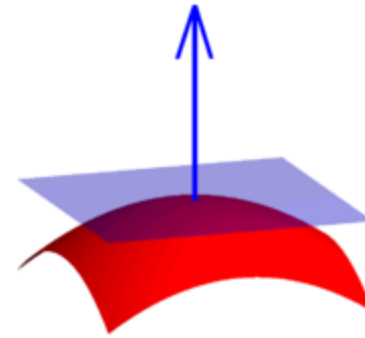
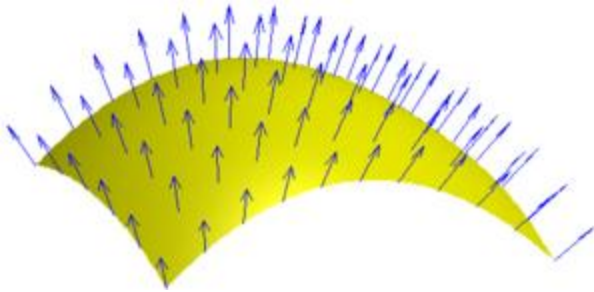
Lighting

- Lighting is the computation of the contributions to each pixel color from the lights in the scene



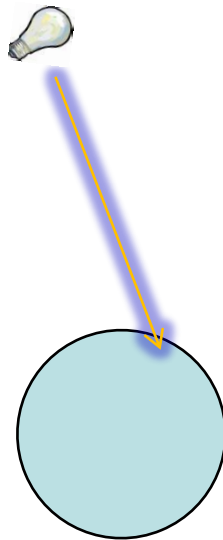
Normal

- To compute lighting we will need the normal N of the surface at each vertex
- This becomes an additional input for our vertex shader



Light direction

- The light direction L is defined as the direction from the light to the vertex



Lambert's cosine law

- the radiant intensity observed from a **Lambertian** (ideal) surface is directly proportional to the cosine of the angle θ between the light direction and the surface normal

$$\begin{aligned} \mathit{light}_{Lambert} &\simeq \cos(L, N) \\ &= L \cdot N \end{aligned}$$



Demo!



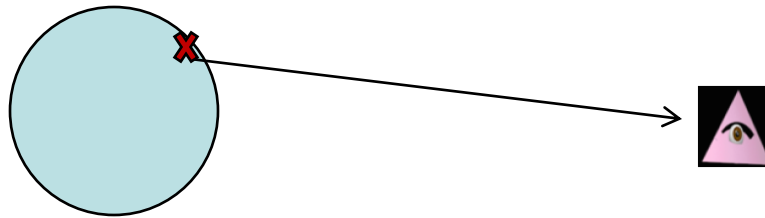
Phong Shading

- To add specular highlights to shiny objects, we use the Phong lighting model



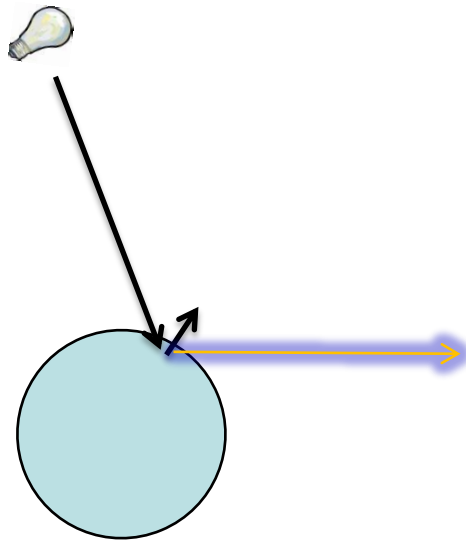
Phong Shading

- V_D is the vector that goes from the vertex to the observer



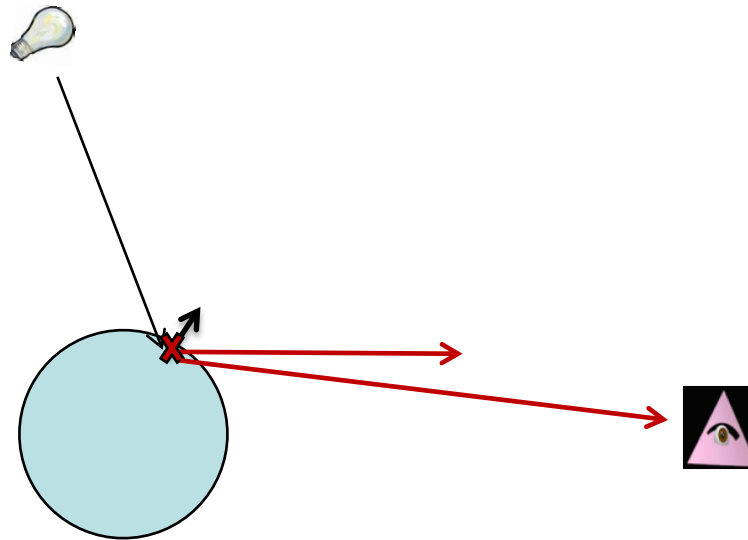
Phong Shading

- L_R is the light reflected by the surface around the vertex



Phong Shading

- The amount of reflection depends on the angle between the two vectors L_R and V_D



Phong Shading

$$\mathit{light}_{\mathit{Phong}} = \sigma(L_R \cdot V_D)^\rho$$

- Where sigma and rho come from the material properties

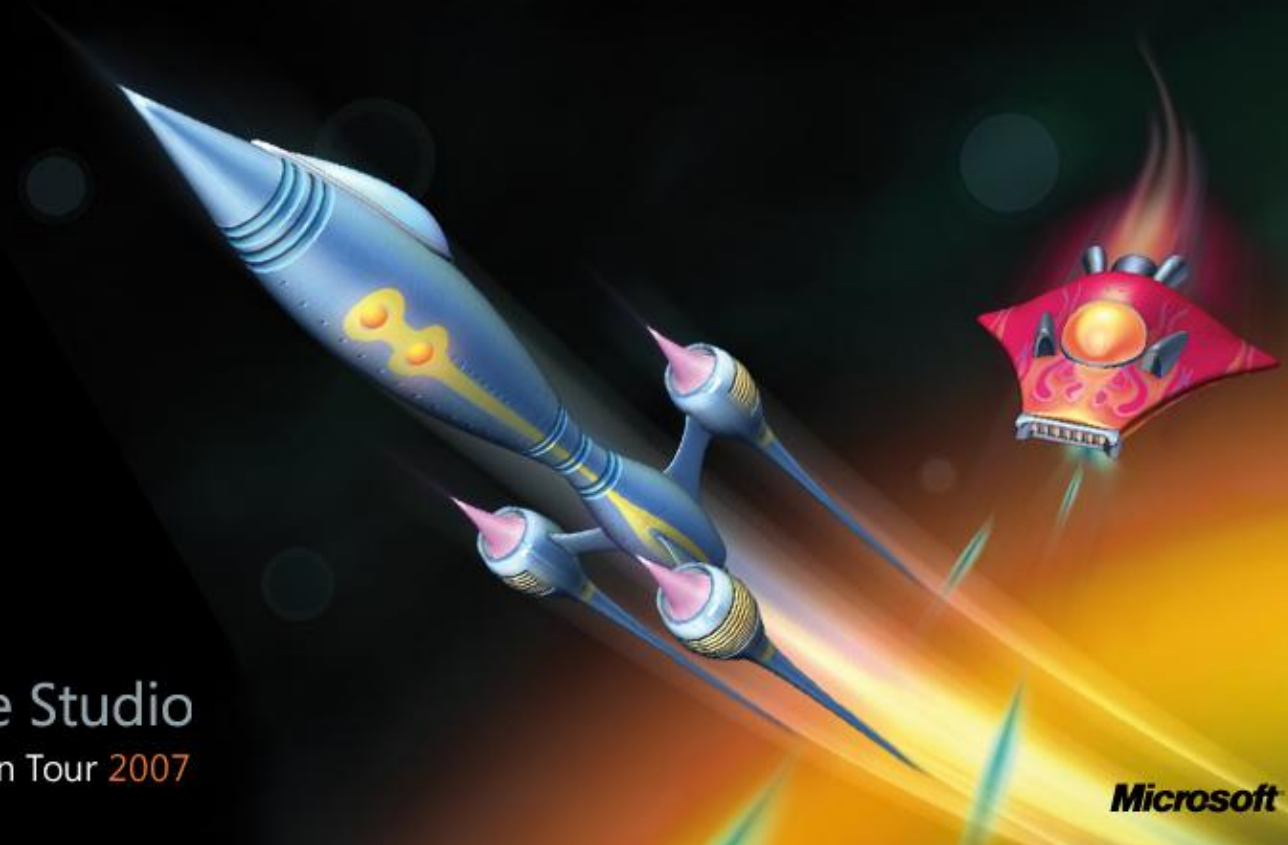


Demo!



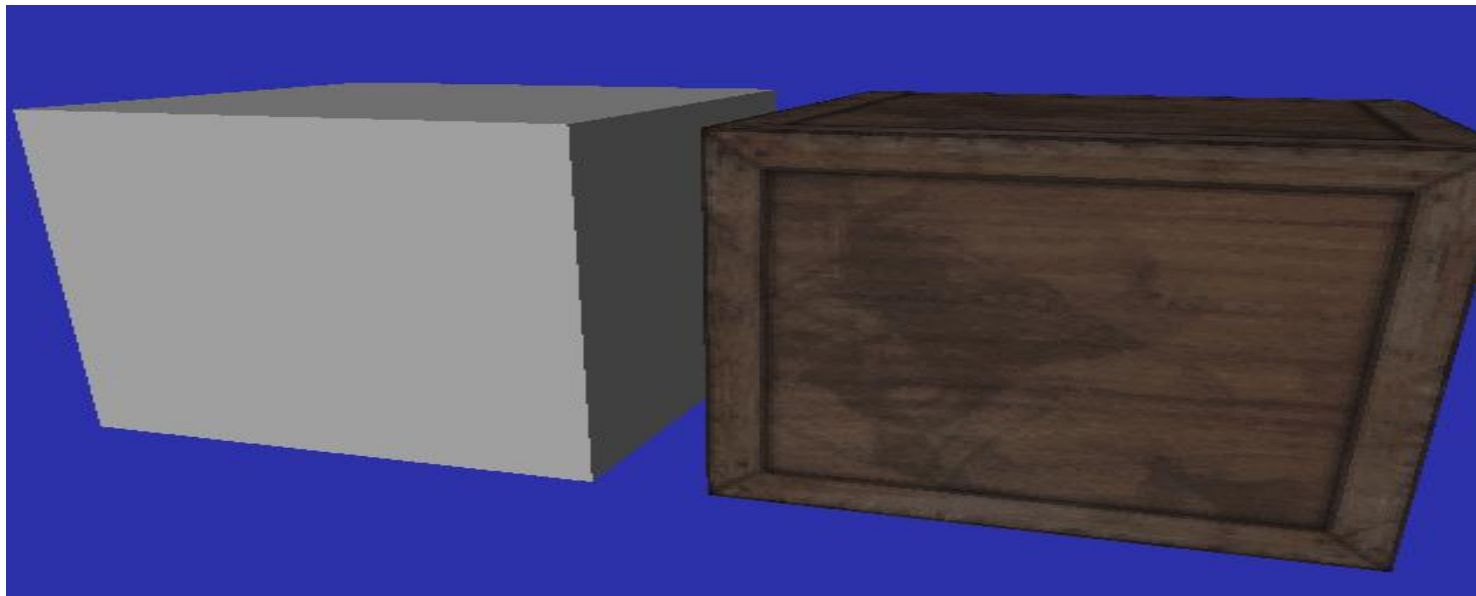
Chapter 3

Textures



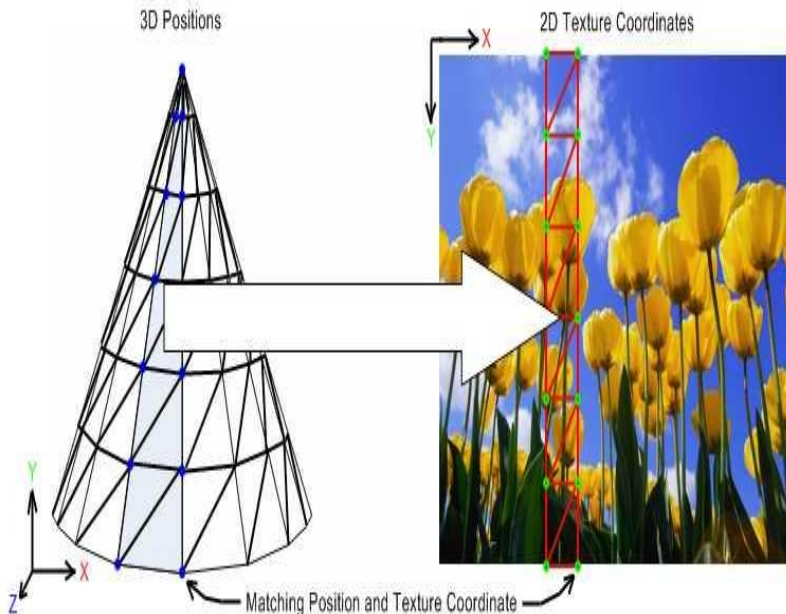
Textures

- To give a more detailed look to our polygons we smear an image over their surface



Texture coordinates

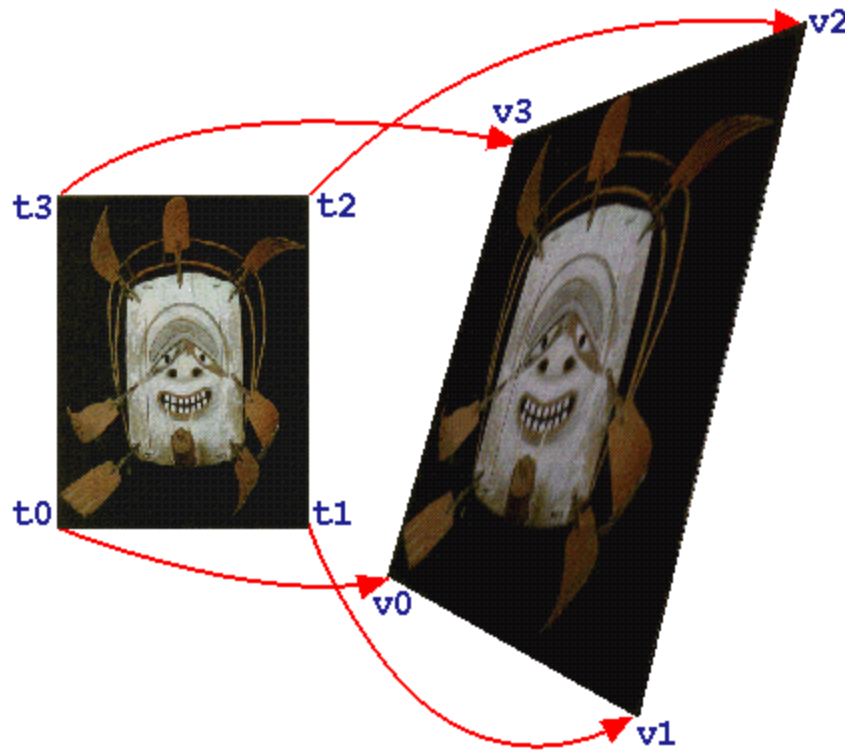
- To texture a polygon we use texture coordinates
- Texture coordinates map the vertices of our models to the 2D plane of the texture



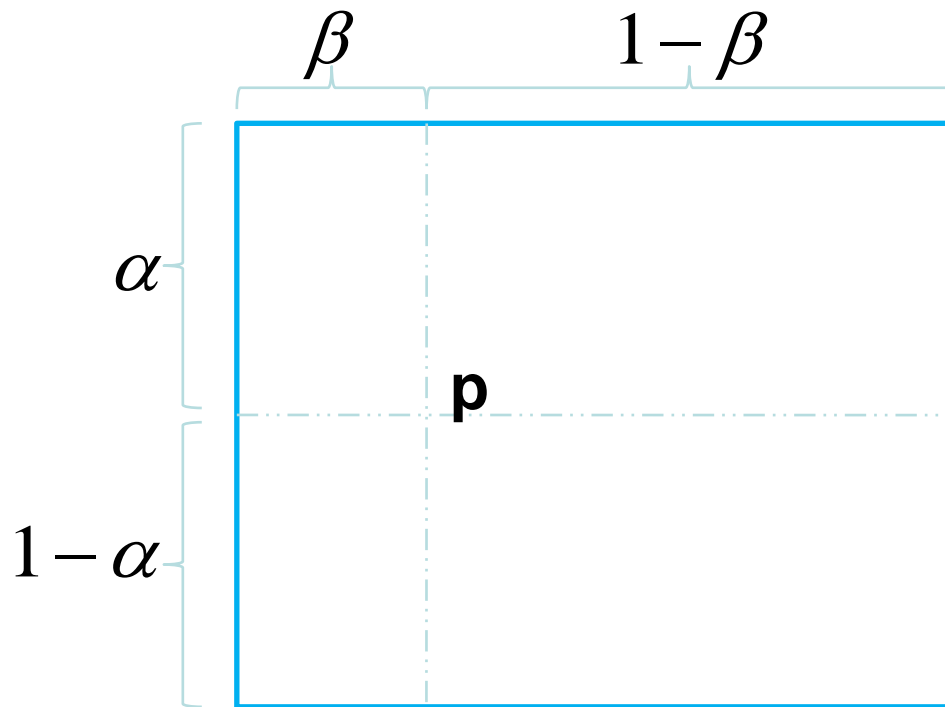
$$\psi: (x, y, z) \rightarrow (u, v)$$
$$(u, v) \in [0, 1]^2$$



Texture coordinates



Quad texture coordinates



$$\psi(p) = (u, v)$$

$$\begin{cases} u = \beta \\ v = 1 - \alpha \end{cases}$$

- UV are also called **barycentric coordinates**
- Cylinder and sphere are based on a folded quad, so they require no special treatment

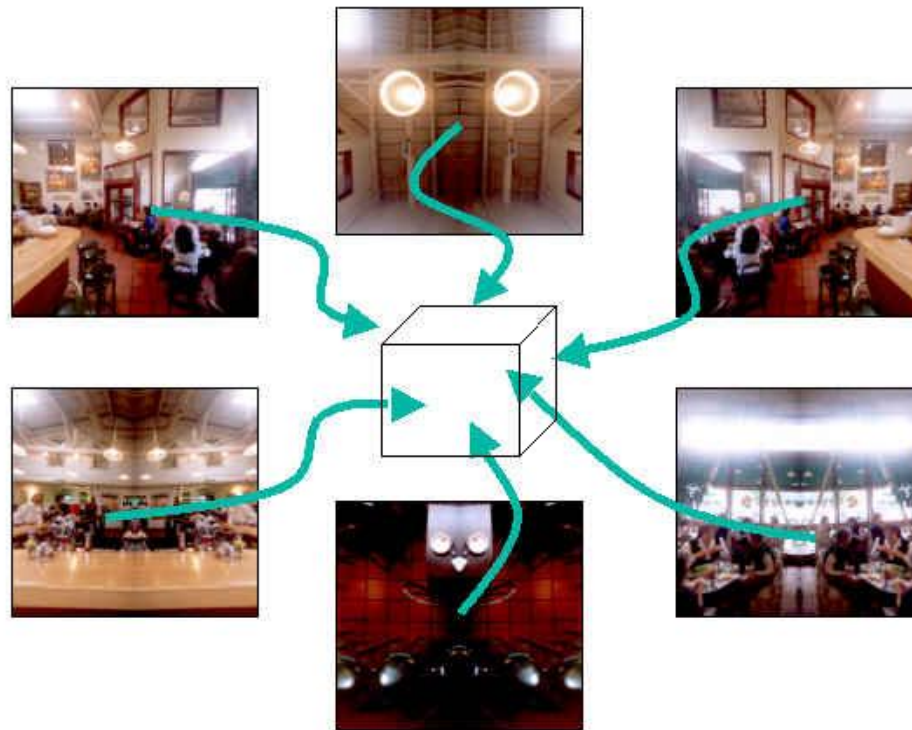


Demo!



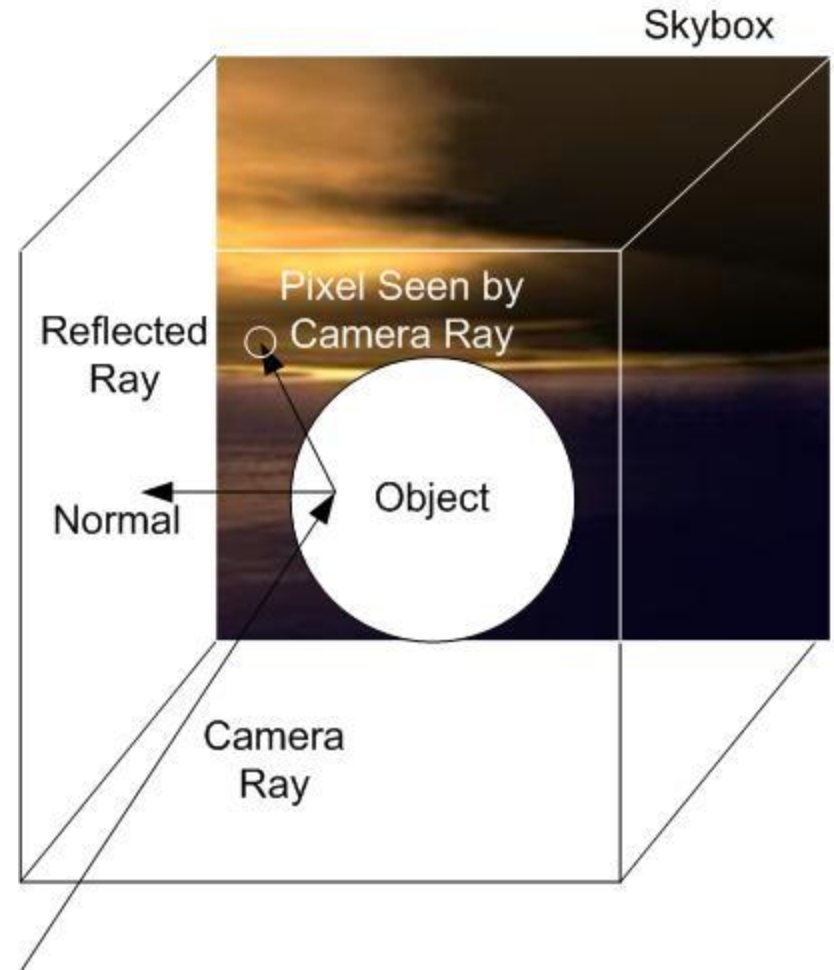
Non planar textures - example

- Textures can also have multiple faces
- Cube textures represent six different (orthogonal) views of the same scene



Cube textures

- This kind of texture is great for simulating surfaces that reflect the surrounding environment



Cube textures

- A cube texture is sampled using 3d coordinates (no UV) that represent the direction from the center of the cube from which to take the color

$$(u, v, w) = \textit{reflect}(V_D, N)$$

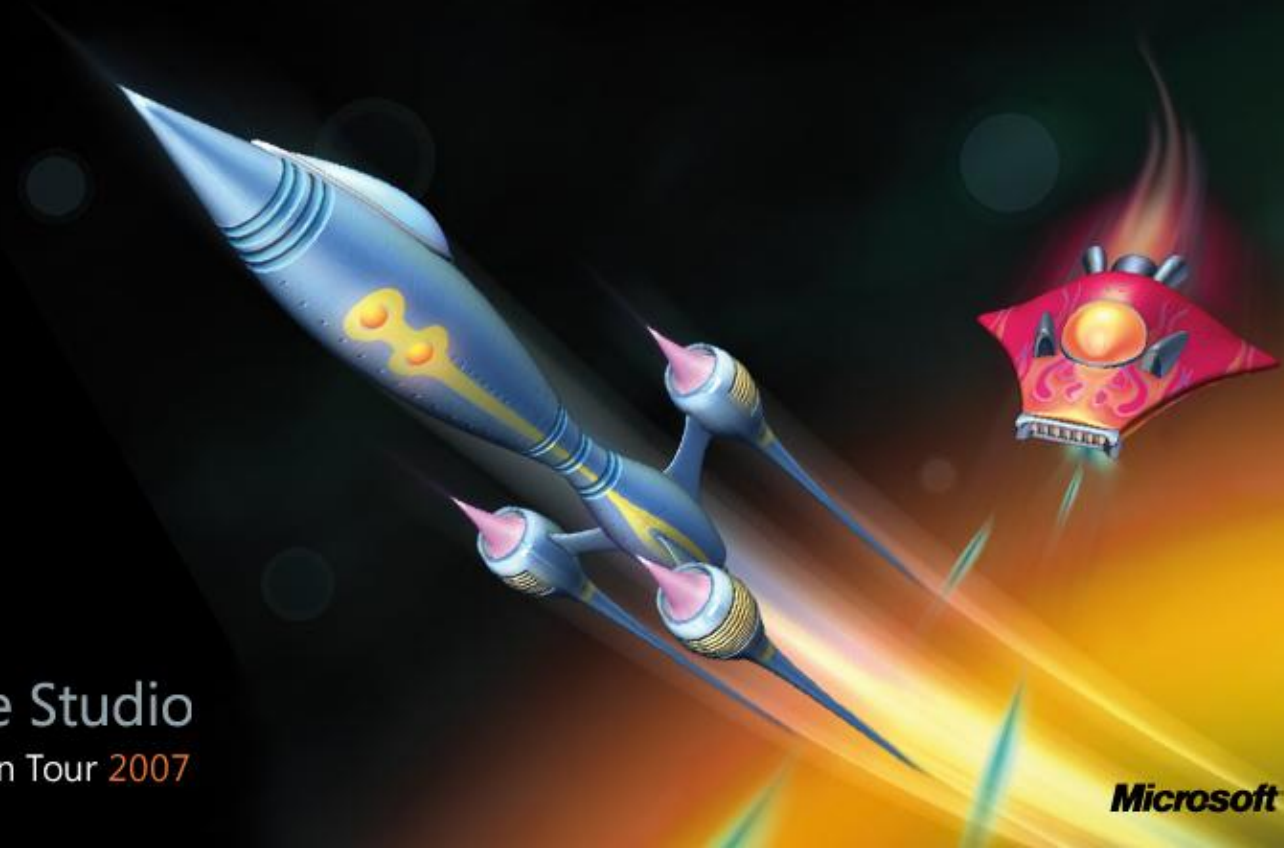


Demo!



Chapter 4

Simple game architecture



Simple game

- To put everything together, we build a very simple sci-fi war game
- The graphics are covered (planets are spheres and quads are the units)
- Gameplay is based on:
 - **Game code structure**
 - **Data loading**
 - **Input**
 - **User interface**



Game architecture

- Game code structure
 - A game is (almost) like an OS
 - `while(true) do Update(); Draw();`
 - GameComponents are anything with an update and a draw function
 - Input management → game component (with null draw)
 - User Interface → game component (with almost update)
- Data loading
 - XNA moves the preprocessing of all assets...
 - ...at compile time!
 - At runtime we simply load our data already preprocessed and prepared for use
 - Think from jpeg to color matrix
 - Storage space versus speed (games always favor speed)



Input

- XNA can be queried for a current snapshot of one of the following controllers:
 - **Mouse** (`Mouse.GetState()`)
 - **Keyboard** (`Keyboard.GetState()`)
 - **XBox 360 controller** (`GamePad.GetState(PlayerIndex)`)
- This snapshot should be updated at every frame (`Update()` function)
- Often previous states are needed (hysteresis)



User interface

- XNA provides us with a very powerful, efficient and easy to use class: `SpriteBatch`
 - **Double buffering for high performance**
 - **Simple interface**
 - **Can optionally use custom shaders**



Demo!



GAME OVER!



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