

Modelling Downgrading in Information Flow Security

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Information Flow Security

- ▷ *Information Flow Security* aims at characterizing the *complete absence* of any *information flow* from *high level* entities to *low level* ones
- ▷ *Noninterference* [Goguen-Meseguer'82]: information does not flow from *high* to *low* if the high behavior has no effect on what can be observed at low level
- ▷ *Total Noninterference can hardly be achieved in real systems*: in order to deal with real applications, it is often necessary to admit mechanisms for *downgrading* or *declassifying* information

Downgrading

- ▶ The term *downgrading* is used to refer to those situations in which **trusted entities** are permitted to move information from a **higher** to a **lower** security level.
- ▶ *Example*: there is a downgrading when the classification of a previously sensitive file is turned to unclassified by a security officer.

Plan of the Talk

- ▷ the specification language **SPA**, syntax and semantics
- ▷ the security properties **NDC** and **BNDC** and **P_BNDC**
- ▷ a generalized unwinding condition for **total** noninterference
- ▷ a generalized unwinding condition **admitting downgrading**
- ▷ compositionality
- ▷ decidability

The SPA syntax

E	$::=$	$\mathbf{0}$	<i>empty process</i>
		$a.E$	<i>prefix</i>
		$E + E$	<i>nondeterministic choice</i>
		$E \mid E$	<i>parallel composition</i>
		$E \setminus v$	<i>restriction</i>
		$E[f]$	<i>relabelling</i>
		Z	<i>constant</i>

- ▶ each constant Z has to be associated to a definition $Z \stackrel{\text{def}}{=} E$
- ▶ H high actions and L low actions

The SPA semantics

- ▷ Semantics given through **transition relations**

Input		Output	
	$a.E \xrightarrow{a} E$		$\bar{a}.E \xrightarrow{\bar{a}} E$
Parallel	$E_1 \xrightarrow{a} E'_1$		$E_1 \xrightarrow{a} E'_1 \quad E_2 \xrightarrow{\bar{a}} E'_2$
	$E_1 E_2 \xrightarrow{a} E'_1 E_2$		$E_1 E_2 \xrightarrow{\tau} E'_1 E'_2$

- ▷ **Behavioral equivalences**, e.g., trace equivalence \approx_T and weak bisimilarity \approx_B

Noninterference for SPA processes

- ▷ *A general definition* [Focardi-Gorrieri '95]

$$\forall \text{ high level process } \Pi, \quad E \sim^l (E|\Pi)$$

- ▷ \sim - equivalence relation over SPA processes
- ▷ \sim^l - equivalence relation on **low level actions**

$$E \sim^l F \text{ if } E \setminus \text{Comp}(L) \sim F \setminus \text{Comp}(L)$$

where $\text{Comp}(L)$ is the complementary set of low actions L .

The security properties NDC and BNDC

- ▷ *NDC: Non-Deducibility on Compositions*

$$\forall \text{ high level process } \Pi, \quad E \approx_T^l (E|\Pi)$$

- ▷ *BNDC: Bisimulation-based Non-Deducibility on Compositions*

$$\forall \text{ high level process } \Pi, \quad E \approx_B^l (E|\Pi)$$

- ▷ \approx_T^l - trace equivalence on low actions, \approx_B^l - weak bisimilarity

$$E \approx_*^l F \text{ if } E \setminus H \approx_* F \setminus H$$

Persistent Information Flow security

- ▷ Properties **NDC** and **BNDC** are difficult to use in practice
 - ▷ **NDC** is **PSPACE complete**
 - ▷ **BNDC**: **decidability is still an open problem**
- ▷ **Persistent_BNDC** [Focardi-Rossi '02] is a **sufficient** condition for **BNDC** and it is decidable in **polynomial time**.
- ▷ **Generalized Unwinding Condition** [Bossi-Focardi-Piazza-Rossi'03]: a general framework for defining **persistent information flow security** properties

P_BNDC

- ▷ *P_BNDC: Persistent Bisimulation-based Non-Deducibility on Compositions*

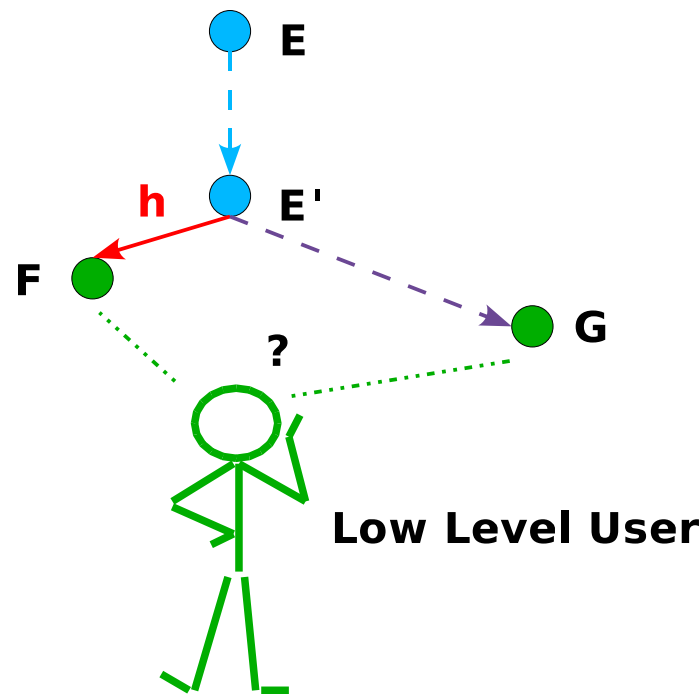
P_BNDC: $\forall E'$ reachable from E , \forall high level process Π

$$E' \approx_B^l E' | \Pi$$

\approx_B^l : weak bisimilarity on low level actions

P_BNDC and Unwinding

If E reaches a state E' which can perform a **high** level action h reaching F then E' may also perform a sequence of **invisible** actions reaching G such that F and G are indistinguishable for the **low** level user



P_BNDC: $\forall E'$ reachable from E , if $E' \xrightarrow{h} F$ then $E' \xRightarrow{\hat{\tau}} G$ and $F \approx_B^l G$

Generalized Unwinding Condition

Let \sim^l be a low level observational equivalence

Let \dashrightarrow be a reachability relation

Generalized Unwinding Condition

$$\mathcal{W}(\sim^l, \dashrightarrow) = \{E \mid \forall E' \in \text{Reach}(E), \text{ if } E' \xrightarrow{h} F \text{ then} \\ \exists G \text{ such that } E' \dashrightarrow G \text{ and } F \sim^l G\}$$

Security as Unwinding Condition

- ▶ The notion of *generalized unwinding* on SPA entails a complete absence of information flow from H to L since

all the high level actions (\xrightarrow{h}) are required to be simulated (\dashrightarrow) in a way which is transparent to the low level users (\sim^l).

Instances of the Generalized Unwinding for SPA

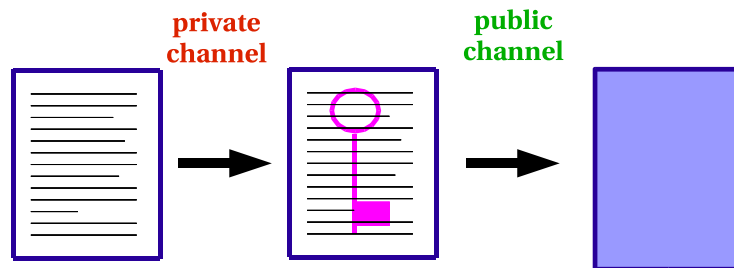
- ▷ $E \in \text{P_NDC}$ iff $E \in \mathcal{W}(\approx_T^l, \xrightarrow{\hat{\tau}})$;
- ▷ $E \in \text{SNDC}$ iff $E \in \mathcal{W}(\approx_T^l, \equiv)$;
- ▷ $E \in \text{P_BNDC}$ iff $E \in \mathcal{W}(\approx_B^l, \xrightarrow{\hat{\tau}})$;
- ▷ $E \in \text{SBNDC}$ iff $E \in \mathcal{W}(\approx_B^l, \equiv)$;
- ▷ $E \in \text{CP_BNDC}$ iff $E \in \mathcal{W}(\approx_B^l, \xrightarrow{\tau})$.

Downgrading - Motivation

- ▶ The notion of **noninterference** is too demanding when dealing with practical applications:
 - ▶ no real policy ever calls for total absence of information flow over any channel.
- ▶ In many practical applications confidential data **can flow** from **high** to **low** provided that the flow is not direct and it is controlled by the system, i.e., a **trusted part** of the system can **control** the downgrading of sensitive information.

Downgrading - an Example

- ▶ A high level user edits a file and sends it through a **private channel** to an **encrypting protocol**
- ▶ the encrypting protocol encrypts the file and sends it through a **public channel**



- ▶ the encryption ensures that the low users cannot read the data.
- ▶ the **encrypting protocol** represents the **trusted part** of the system which controls the flow from **high** to **low**.

Noninterference and Downgrading

Question: How **Noninterference** can be modified in order to deal with processes admitting **downgrading** ?

We need to extend the **SPA** language with a set of **downgrading actions** which are used to model the behavior of a **trusted component**

Intransitive noninterference: noninterference under an intransitive security policy

$$H \rightsquigarrow D \quad D \rightsquigarrow L \quad \text{but} \quad H \not\rightsquigarrow L$$

The SPA^D Language

- ▶ The SPA^D language is obtained from CCS by partitioning the set of visible actions into
 - ▶ H - set of high level actions
 - ▶ L - set of low level actions
 - ▶ D - set of of downgrading actions
- ▶ It is reasonable to assume that an attacker cannot simulate the trusted part of the system, i.e., it cannot perform the actions in *D*.
- ▶ Moreover, we can assume that the low level users cannot observe the actions performed by the trusted part.

Towards a Generalization of Noninterference

- ▷ By generalizing the definition of Noninterference we obtain

$$\forall \text{ high level process } \Pi, \quad E \sim^l (E|\Pi)$$

- ▷ \sim - equivalence relation over SPA^D processes
- ▷ \sim^l - equivalence relation on low level actions

$$E \sim^l F \quad \text{if} \quad E \setminus HD \sim F \setminus HD$$

Is this enough to prevent all uncontrolled flows ?

Example 1 - The encrypting protocol

$$Enc = file_h.enc_d.\overline{file_l}.0$$

- ▷ If we consider any possible high level process Π we get that

$$Enc \setminus HD \approx_B 0 \approx_B (Enc|\Pi) \setminus HD$$

which means that Enc satisfies BNDC in SPA^D .

Example 2 - The encrypting protocol

$$Enc = file_h.enc_d.\overline{ok}_h.\overline{file}_l.\mathbf{0}$$

Again, for any possible high level process Π

$$Enc \setminus HD \approx_B \mathbf{0} \approx_B (Enc|\Pi) \setminus HD$$

i.e., Enc satisfies BNDC in SPA^D .

- ▶ However, the action \overline{ok}_h causes an **uncontrolled information flow** from high to low, but this flow is not revealed by BNDC.

Generalized Unwinding in the SPA^D language

Let \sim^l be a low level observational equivalence

Let \dashrightarrow be a reachability relation

Generalized Unwinding

$$\mathcal{W}^D(\sim^l, \dashrightarrow) = \{E \mid \forall E' \in \text{Reach}(E), \text{ if } E' \xrightarrow{h} F \text{ then} \\ \exists G \text{ such that } E' \dashrightarrow G \text{ and } F \sim^l G\}$$

where $F \sim^l G$ is equivalent to $F \setminus HD \sim G \setminus HD$.

Generalized Unwinding and Intransitive Noninterference

$H \rightsquigarrow D$ The fact that the low level observation equivalence \sim^l does not care about the actions in D implies that the flows from H to D are allowed

$D \rightsquigarrow L$ The fact that the unwinding condition imposes constraints only on the high level transitions (\xrightarrow{h}) implies that the flows from D to L are also allowed

Instances of Generalized Unwinding for SPA^D

- ▷ $E \in \text{DP_NDC}$ iff $E \in \mathcal{W}^D(\approx_T^l, \xrightarrow{\hat{\tau}})$;
- ▷ $E \in \text{DSNDC}$ iff $E \in \mathcal{W}^D(\approx_T^l, \equiv)$;
- ▷ $E \in \text{DP_BNDC}$ iff $E \in \mathcal{W}^D(\approx_B^l, \xrightarrow{\hat{\tau}})$;
- ▷ $E \in \text{DSBNDC}$ iff $E \in \mathcal{W}^D(\approx_B^l, \equiv)$;
- ▷ $E \in \text{DCP_BNDC}$ iff $E \in \mathcal{W}^D(\approx_B^l, \xrightarrow{\tau})$.

Compositionality

We proved general **compositionality** properties of our unwinding framework with respect to the SPA^D operators. For instance:

Let E, F be SPA^D processes. If $E, F \in \text{DP_BNDC}$, then

- ▷ $a.E \in \text{DP_BNDC}$, for all $a \in L \cup \{\tau\}$;
- ▷ $E \setminus v \in \text{DP_BNDC}$, for any set of visible actions v ;
- ▷ $E[g] \in \text{DP_BNDC}$, for all relabelling function g .

Moreover, if E and F cannot synchronize on downgrading actions then

- ▷ $E|F \in \text{DP_BNDC}$.

Secure Refinement

- ▷ We studied conditions ensuring that the security properties obtained as instances of our unwinding framework are preserved under **refinement**
- ▷ we considered two forms of refinement:
 - ▷ **horizontal refinement**: i.e., **preorders relations**, such as trace inclusion, which aim at removing possible sources of nondeterminism
 - ▷ **vertical refinement**: **replacement** of **abstract actions** by processes which represent their **implementation**.

Decidability and Complexity

Let E be a SPA^D process.

$$E \in \mathcal{W}^D(\sim^l, \dashrightarrow) \text{ iff } \forall E' \in \text{Reach}(E), E' \setminus D \in \mathcal{W}(\sim^l, \dashrightarrow).$$

- ▶ By exploiting this property it is possible to decide $E \in DP_BNDC$ in time $O(n^3)$ and space $O(n^2)$, where n is the number of states of the LTS associated to E .

Conclusion

- ▶ We defined a **general unwinding framework** to model both **transitive** and **intransitive** noninterference properties
- ▶ We proved general **compositionality** properties of our unwinding framework with respect to the SPA^D operators
- ▶ We studied conditions ensuring that the security properties obtained as instances of our unwinding framework are preserved under **refinement**
- ▶ We proposed a **decision procedure** to check properties in **polynomial time**

Future Work : apply our generalized unwinding framework to different settings, e.g., process algebras for mobility, imperative and multi-threaded languages.

Downgrading in the literature

- ▷ Downgrading for **deterministic systems**
 - ▷ *conditional noninterference* [Goguen-Messeguer'84, Haigh-Young'87]
 - ▷ *intransitive noninterference* [Rushby'92, Pinsky'95]
- ▷ Downgrading for **distributed systems** and based on **traces**
 - ▷ *intransitive noninterference* [Roscoe-Goldsmith'99, Mantel'01]
 - ▷ *intransitive probabilistic noninterference* [Backes-Pfitzmann'03]
 - ▷ *admissible flows* [Giambiagi-Dams'00, Mullins'00]
- ▷ Downgrading for **distributed systems** and based on **stronger equivalences**
 - ▷ *partial noninterference* [Rayn-Schneider'01]
 - ▷ *robust declassification* [Zdancewic-Myers'01]
 - ▷ *bisimulation-based admissible interference* [Lafrance-Mullins'02]